#### Evaluating Countries and Products in international trade

#### An Evolutionary Bipartite Graph Approach

Xiang Niu Yu Chen

niux2@rpi.edu cheny39@rpi.edu

### **Two Questions?**

In International trade

Which countries do better?

Which products are more "valuable"?

Let's call them "Great" countries and products!

### Hypotheses

**Criteria for "Great" countries** 

1) Such countries export many "Great" products.

2) Such countries **do not really depend** on any other specific country.

3) Such countries export some products which other "Great" countries import.

## Hypotheses (cont'd)

**Criteria for "Great" products** 

1) Such products are **imported a lot**.

2) Such products are imported by many "Great" countries.

## Intuitions

For "Great" countries

- 1) A country makes money by exporting products to other countries.
- 2) A country spends money by importing products from other countries.
- 3) "Great" countries make more money at last.

#### For "Great" products

1) "Great" products are **imported** by "Great" countries a lot.

### Dataset

#### Internal dataset Attributes

Finance (1991-2014): Imports/Exports data

Finance (2004-2014): Imports/Exports data

#### External dataset Trade Network

OEC: Imports/Exports data (1962-2014)

**OEC:** The Observatory of Economic Complexity

### **Bipartite Network**



### **Country Ranking**



# Ranking





### **Evolutional Model**



#### **Product Value**



#### National Wealth



## **Technical details**

#### **Country-to-Product** transition matrix

	$w_{11}$	$w_{12}$	$w_{13}$		$w_{1m}$
U =	$w_{21}$	$w_{22}$	$w_{23}$		$w_{2m}$
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	$w_{n1}$	$w_{n2}$	$w_{n3}$		$w_{nm}$

#### Product-to-Country transition matrix

$$V = \begin{bmatrix} v_{11} & v_{12} & v_{13} & \dots & v_{1n} \\ v_{21} & v_{22} & v_{23} & \dots & v_{2n} \\ \vdots & \vdots & \vdots & \ddots & \vdots \\ v_{m1} & v_{m2} & v_{m3} & \dots & v_{mn} \end{bmatrix}$$

**Country-to-Country** transition matrix

$$M = U \cdot V$$

# Technical details (cont'd)

#### **Bipartite Model**

Denote  $\vec{a}$  as the 1-by-n country score vector.

M is the Country-to-Country transition matrix. Note that it's also a right stochastic matrix

Do power iterations as follows:

$$\vec{a}' = \vec{a} \cdot M$$

Note that we are **guaranteed** to get a converged

which is an approximation of the largest eigenvector of matrix

Furthermore, we can easily get the converged product score vector which is denoted as

$$\vec{b}^* = \vec{a}^* \cdot U$$

# Technical details (cont'd)

#### **Evolutionary Model**

What if we want to apply our model into **a period of time** rather than a single year?

**Cumulative** transition matrix!

$$M = M_1 \cdot M_2 \dots M_t$$

Then do the same thing as we did before.

$$\vec{a}' = \vec{a} \cdot M$$
  $\vec{b}^* = \vec{a}^* \cdot U$ 

To make our evolutionary model more accurate, we allow each country only use  $a_{\alpha}$  factor of earnings to import products which works well in practice.

## **Open Questions & Future Work**

Are our bipartite and evolutionary models general enough?

More data, more experiments!

Is doing well in exports a necessary condition to win in international trac

Yes!!? **Big** question, go deeper!